

- NATALIA KORNEEVA, *Prefix decidable infinite words for natural subsets of the set of context-free languages.*

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In the talk we consider prefix decidable infinite words over a finite alphabet for some classes of languages.

Let \mathcal{L}_{CF} be the class of context-free languages, that is, those that are accepted by finite nondeterministic pushdown automata. Let \mathcal{L}_{AS} , \mathcal{L}_{NS} be the classes of languages accepted by finite deterministic pushdown automata by final states or empty stack respectively. Let $\mathcal{L}_{\mathcal{R}}$ be the class of regular languages, that is, those that are accepted by finite automata. It is known that $\mathcal{L}_{\mathcal{R}} \subset \mathcal{L}_{AS} \subset \mathcal{L}_{CF}$ and $\mathcal{L}_{NS} \subset \mathcal{L}_{CF}$. Let \mathcal{L} be one of these classes. Also let $Pref(x)$ be the set of prefixes of infinite word x .

Definition. An infinite word x over a finite alphabet Σ is called \mathcal{L} -prefix decidable if for any language $L \in \mathcal{L}$ over the alphabet Σ the problem $L \cap Pref(x) \neq \emptyset$ is decidable.

The conception of $\mathcal{L}_{\mathcal{R}}$ -prefix decidable infinite words was introduced in [1].

The main results of the talk are relations between classes of prefix decidable infinite words for these classes of languages.

Theorem 1. The following conditions for an infinite word x are equivalent:

- 1) x is \mathcal{L}_{CF} -prefix decidable,
- 2) x is \mathcal{L}_{AS} -prefix decidable,
- 3) x is \mathcal{L}_{NS} -prefix decidable.

Theorem 2. There is a $\mathcal{L}_{\mathcal{R}}$ -prefix decidable infinite word that is not \mathcal{L}_{CF} -prefix decidable.

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[1] M.N. VYALYI, A.A. RUBTSOV, *Decidability conditions for problems about automata reading infinite words*, *Diskretnyi Analiz i Issledovanie Operatsii*, vol. 19 (2012), no. 2, pp. 3–18.